

IN FIELD ASSESSMENT ON THE RELATIONSHIP BETWEEN PHOTOSYNTHETIC ACTIVE RADIATION (PAR) AND GLOBAL SOLAR RADIATION TRANSMITTANCE THROUGH DISCONTINUOUS CANOPIES

Ricardo Oyarzún^{1,2*}, Claudio Stöckle¹, Joan Wu¹, and Matthew Whiting³

ABSTRACT

In many crop models, the process of radiation transmittance through the canopy is normally described as an exponential attenuation process (Beer's Law equation), which is assumed to be valid for canopies covering the ground with a random spatial distribution of leaves. However, for discontinuous canopies, where a distinctive row pattern of plant exists, there is a more complex situation because of the presence of gaps between individual plants. This must be accounted for when characterizing radiation relationships for these kinds of systems, in particular when short time-scales are of interest. Photosynthetically active radiation (PAR) transmittance (τ_{PAR}) is more commonly studied and reported than global solar radiation (S_g) transmittance (τ_{S_g}). However, both PAR and S_g are important in radiative transfer sub-models used in plant growth simulation. In this work simultaneous measurements of τ_{S_g} and τ_{PAR} under discontinuous canopies were performed, and the hourly changes in radiation transmittance for PAR and global solar radiation were characterized. Two methods were assessed to transform between τ_{S_g} and τ_{PAR} . The two methods yielded similar results for low values of transmittance, but disagreement occurred for higher values of transmittance. The method based on a fixed value for the ratio of extinction coefficients for PAR and S_g outperformed the method based on a linear relationship between τ_{PAR} and τ_{S_g} with average relative errors (RE) of 7.97% vs. 13.29% and 2.84% vs. 7.77% for hourly and daily time-scale, respectively.

Key words: radiation interception, extinction coefficient, crop simulation model.

INTRODUCTION

Radiation transmittance through crop canopies is normally described as exponential-type attenuation process as (Thornley and Johnson, 1990; Lizaso *et al.*, 2003):

$$\tau = I_{(l)}/I_{(o)} = e^{-K \text{ LAI}_o} \quad [1]$$

where τ is the transmittance in the wavelength of interest, $I_{(l)}$ is the transmitted radiation, $I_{(o)}$ is the incoming radiation (W m^{-2} for solar radiation, $\mu\text{mol m}^{-2}\text{s}^{-1}$ for photosynthetically active radiation PAR), LAI_o is the leaf area index (m^2 leaves per m^2 of soil), and K is an extinction coefficient. This equation is generally assumed to be valid for full covering canopies with random

distribution of leaves. For discontinuous canopies, such as those found in crops with row structure or in fruit tree orchards, a clumping factor (Ω), which varies between 0 and 1, is often included to extend the use of the equation (Campbell and Norman, 1998). Thus, Equation [1] is rewritten as:

$$\tau = e^{-K \Omega \text{ LAI}_o} \quad [2]$$

Although questioned (Sinclair, 2006), it is fairly common to find studies that characterize either diurnal radiation transmittance or interception by crop canopies based only on midday observations (Yunusa *et al.*, 1997; Kiniry, 1999). This practice may seem valid for horticultural and annual crops that tend to develop and reach full soil cover rather quickly. However, a different situation might be expected for discontinuous crop canopies, such as those existing in fruit tree orchards or horticultural crops on early growing stages. In such systems, radiation transmittance processes are affected by both the fraction of the radiation that passes through the canopy, and therefore is attenuated, and the fraction of the radiation

¹Washington State University, Biological Systems Engineering Faculty, Pullman, Washington, 99163, USA.

²Universidad de La Serena, Facultad de Ingeniería, Benavente 980, La Serena, Chile. *Corresponding author (royarzun@userena.cl).

³Washington State University, Irrigated Agriculture Research and Extension Center, Prosser, Washington, 99350, USA.

Received: 3 January 2010.

Accepted: 11 September 2010.

that passes unobstructed through and between canopy gaps, which varies greatly through the day. This is of particular significance for radiation transfer on short-time scales, with varying interaction between the crop canopy architecture and the sun position in the sky throughout the day.

Furthermore, radiative transfer sub-models that can be used in plant growth simulations must take into account canopy transmittance or interception of PAR (400 to 700 nm wavelength) as well as global solar radiation (S_g , 300 to 3000 nm). The former is required to calculate photosynthesis, while the latter is used to calculate crop energy balance and crop evapotranspiration and its partitioning into transpiration and soil water evaporation (Weiss and Norman, 1985; Stöckle and Jara, 1998). Moreover, the radiation-use efficiency (RUE) approach that relates dry mass accumulation with the amount of intercepted PAR (Monteith, 1994; Kiniry, 1999), or intercepted S_g (Castellan-Estrada, 2001) is widely used to estimate biomass accumulation in horticultural crops, fruit trees and forest (Landsberg and Hingston, 1996; Kiniry *et al.*, 1998; Mariscal *et al.*, 2000).

Simultaneous direct measurements of PAR transmittance (τ_{PAR}) and S_g transmittance (τ_{Sg}) are rarely done in the field or found in the literature, since instruments need to be placed under leaf canopies and left there for the whole measurement period (Sinclair, 2006). Studies are more commonly performed for PAR than S_g , due to the easiness of its measurement and instrument availability. Thus, the question arises in how to convert between τ_{PAR} and τ_{Sg} . This issue was addressed by Campbell and Van Evert (1994), who proposed a theoretical method based upon the different leaf optical properties of crop leaves regarding different portion of the radiation spectrum, which determines a ratio for the extinction coefficients for S_g and PAR ($K_{Sg}/$

K_{PAR}) of 0.7. This is done considering leaf absorptivities for PAR and S_g of 0.8 and 0.4, respectively. From their work, some authors later adopted the same method and value for this ratio on studies reported for horticultural and annual crops (Jovanovic *et al.*, 1999; Jovanovic and Annandale, 2000; Marcos, 2000). In an independent theoretical effort, Kiniry (1999) gave values of K_{Sg} and K_{PAR} that determine a figure of 0.75 for the same ratio. However, when considering the conversion of RUE values based on PAR into RUE based on S_g , Bonhomme (2000) argued that the use of a single conversion factor would not be suitable for different situations of LAI and leaf orientations. Nevertheless, a common aspect of these studies is that they relied on theoretical calculations. As pointed out by Yunusa *et al.* (1993), and later by Sattin *et al.* (1997), there is a lack of experimental, field-obtained data on this subject.

The purposes of this research were: (i) to study and characterize the diurnal variation of τ_{PAR} and τ_{Sg} , associated with discontinuous canopies; and (ii) to experimentally assess the suitability of reported methods to convert τ_{PAR} into τ_{Sg} for discontinuous canopies.

MATERIALS AND METHODS

Experimental conditions

Field measurements were carried out in selected clear days from May to July in the summer of 2004 at the Roza experimental orchards of Washington State University-Irrigated Agriculture Research and Extension Center (WSU-IAREC) near Prosser (46.2° N, 119.7° W, 380 m.a.s.l.), Washinton, USA. They were performed on a mature sweet cherry (*Prunus avium* L.) orchard, and on a corn (*Zea mays* L.) crop during early stages of development, under variable experimental conditions in terms of both sun position through the day (cherry dataset) and canopy cover (corn dataset), as shown in Table 1.

Table 1. Days and experimental conditions of field measurements, in terms of sun position (zenith and azimuth angles, in degrees) at three different hours (standard time), leaf area index (LAI₀), and incoming global radiation (S_g , MJ m⁻² d⁻¹).

Crop	Date (DOY)	Zenith angle			Azimuth angle ¹			LAI ₀	S _g
		09:00	12:00	15:00	09:00	12:00	15:00		
Sweet cherry	May 9 (130)	46.4	28.8	47.5	66.6	358.2	291.7	2.65	26.9 ²
	June 1 (153)	43.2	24.1	43.9	71.5	358.8	287.5	3.21	25.3
	July 10 (192)	44.9	24.0	42.6	73.4	3.0	289.1	3.47	27.0
Corn	July 1 (183)	43.5	23.1	42.2	74.0	2.3	287.8	1.75	25.7 ³
	July 7 (189)	44.0	23.6	42.4	73.7	2.8	288.6	0.71	24.6
	July 16 (198)	45.7	25.8	43.7	71.9	3.4	291.2	1.20	25.3

¹Angles were measured from due South, increasing counterclockwise.

²Total incoming radiation between 07:00 and 17:00 h.

³Total incoming radiation between 08:00 and 16:00 h; DOY: day of the year.

Cherry trees

Measurements were made on 9 yr-old ‘Bing’/‘Gisela 5®’ sweet cherry trees spaced at 2.5 m by 4.5 m within and between rows, respectively, in North-South oriented rows, trained to a free standing, standard multiple-leader open-center architecture, forming a nearly continuous hedgerow of 3.2 m tall and 2.8 m width. Leaf area of the trees (L_t) was estimated non-destructively along the season as the sum of spur leaf area (L_p) and shoot leaf area (L_s) following the technique outlined in Whiting (2001).

Simultaneous τ_{PAR} and τ_{Sg} measurements were carried out on May 9 (DOY 130), June 1 (DOY 153), and July 10 (DOY 192), 2004, at two locations in the orchard (Figure 1). PAR transmittance was measured hourly from 07:00 to 17:00 h (standard time), using a 0.8 m linear quantum sensor (AccuPAR probe, Decagon Devices, Pullman, Washington, USA). At each hour, incoming PAR (PAR_h) was determined on an open area near the trees. This was done twice on each measurement period, i.e. immediately before and after the “below-canopy” measurements,

the average value was calculated and a mean time was assigned. Hourly below-canopy PAR measurements ($PAR_{h\downarrow}$) were taken at 30 cm above the orchard floor on seven positions parallels to the tree row and separated by 65 cm, with the fourth measurement at the tree row center, by hand-moving the probe from one position to another, following Cohen *et al.* (1997). Individual and average readings ($PAR_{h\downarrow}$ and $PAR_{h,avg\downarrow}$, respectively) were recorded. The fractional PAR transmittance on each hour ($\tau_{PAR,h}$) and the PAR extinction coefficient ($K_{PAR,h}$) were determined as:

$$\tau_{PAR,h} = PAR_{h,avg\downarrow}/PAR_h \quad [3]$$

$$K_{PAR,h} = (-\ln \tau_{PAR,h})/LAI_o \quad [4]$$

it should be noted that $K_{PAR,h}$ is an effective extinction coefficient, and it already includes the effect of gaps between canopies, since it is obtained from field measured $\tau_{PAR,h}$ and LAI_o . Thus, it corresponds to the product of K and Ω showed in Equation [2].

Daily weighted average PAR transmittance ($\tau_{PAR,D}$) and extinction coefficient ($K_{PAR,D}$) were obtained as:

$$\tau_{PAR,D} = \frac{\sum_{h=1}^{11} \tau_{PAR,h} PAR_h}{\sum_{h=1}^{11} PAR_h} \quad [5]$$

$$K_{PAR,D} = \frac{\sum_{h=1}^{11} K_{PAR,h} PAR_h}{\sum_{h=1}^{11} PAR_h} \quad [6]$$

Global solar radiation transmittance was assessed on the same positions as described above for τ_{PAR} , but using seven 0.9 m long solarimeter tubes (Marcos, 2000) per location, permanently installed throughout each day. An additional solarimeter tube was placed in an open area next to the orchard and was used to register the incoming solar radiation (Sg_h). All the solarimeters used were calibrated against a Precision Eppley thermopile pyranometer (The Eppley Laboratory, Newport, Rhode Island, USA).

The solarimeters were connected to a CR10 datalogger (Campbel Scientific, Logan, Utah, USA). A scan rate of 30 s was used and signals were averaged every 5 min, and data were recorded every 60 min coincidental with PAR measurements were considered for the analysis. Similar to PAR measurements, the global radiation transmittance ($\tau_{Sg,h}$) and the extinction coefficient ($K_{Sg,h}$) were obtained for each hour as:

$$\tau_{Sg,h} = Sg_{h,avg\downarrow}/Sg_{hr} \quad [7]$$

$$K_{Sg,h} = (-\ln \tau_{Sg,h})/LAI_o \quad [8]$$

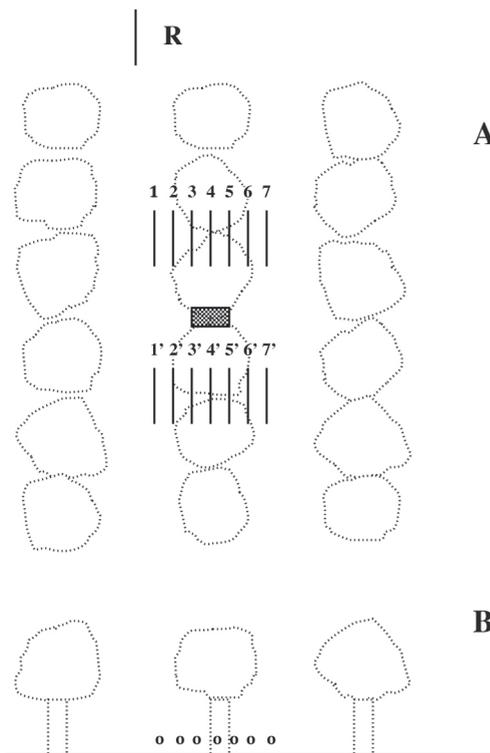


Figure 1. Schematic representation of the disposition of the solarimeters on the two locations on the orchard in A plan view, and in B cross-section view, as well as the location of the reference solarimeter measuring incoming solar radiation R, and the datalogger unit (shaded rectangle). The photosynthetically active radiation (PAR) sensor was hand-moved through the same positions for measurements. The same procedure was used for the corn field.

where $S_{g,h,avg\downarrow}$ is the average value obtained from the below-canopy solarimeter tubes. Similarly, K_{Sg} represents the effective extinction coefficient. The respective daily averages were obtained as:

$$\tau_{Sg,D} = \frac{\sum_{h=1}^{11} \tau_{Sg,h} S_{g,h}}{\sum_{h=1}^{11} S_{g,h}} \quad [9]$$

$$K_{Sg,D} = \frac{\sum_{h=1}^{11} K_{Sg,h} S_{g,h}}{\sum_{h=1}^{11} S_{g,h}} \quad [10]$$

Finally, the hourly and daily values for the ratio between the PAR and S_g extinction coefficients (β_h and β_D respectively) were obtained as:

$$\beta_h = K_{PAR,h}/K_{Sg,h} \quad [11]$$

$$\beta_D = K_{PAR,D}/K_{Sg,D} \quad [12]$$

Corn crop

The corn crop used in this study was grown near the cherry trees, with a planting distance of 0.10 m by 0.75 m, within and between rows respectively, in near North-South oriented rows. Measurements were made during early stages of development. The average leaf area per plant was estimated non-destructively several times during the experimental period using a laser area meter (CI-203 CID, Vancouver, Washington, USA), measuring all the leaves on 16 to 20 plants from the tip toward the base. The leaf area index was determined as well.

Measurements of simultaneous τ_{Sg} and τ_{PAR} were carried out on July 1 (DOY 183), July 7 (DOY 189), and July 16 (DOY 198) 2004, at two locations in the field. The first measurement set was obtained on a crop sowed on April 23, while the second and third set (July 7 and 16) corresponded to a second crop sowed on June 7. On those days, τ_{PAR} was determined hourly from 08:00 to 16:00 h (standard time), using the AccuPAR probe. At each hour, PAR_h and $PAR_{h\downarrow}$ were determined as previously described for the cherry trees (now with a separation of 10.5 cm between positions). The same spacing applies for the solarimeter tubes used for τ_{Sg} determinations. An additional solarimeter was placed above the canopies to register $S_{g,h}$. The solarimeters were connected to a datalogger, using a scan rate of 30 s averaged every 15 min. Only data for each hour, coincidental with PAR measurements, were used for analysis. Thus, $\tau_{PAR,h}$, $\tau_{PAR,D}$, $K_{PAR,h}$, $K_{PAR,D}$, $\tau_{Sg,h}$, $\tau_{Sg,D}$, $K_{Sg,h}$, $K_{Sg,D}$, β_h , and β_D were computed as described earlier (Equations [3] to [12], only now the daily aggregation was obtained from $h = 1$ to 9).

The following methodologies apply for the conversion between τ_{PAR} and τ_{Sg} . For the sake of space, mainly $\tau_{PAR} \rightarrow \tau_{Sg}$ is discussed, although the performance of the methods in each conversion was evaluated.

Calculation procedures for transmittance conversion: fixed-ratio of extinction coefficients

Campbell and Van Evert (1994) related values of fraction of interception (one minus transmission) of global solar radiation (f_{Sg}) to fraction of interception of PAR (f_{PAR}) for a plant canopy. In a follow-up analysis, and based on a Beer's law equation-type, Campbell (2004) proposed that the ratio τ_{Sg}/τ_{PAR} can be obtained as:

$$\tau_{Sg}/\tau_{PAR} = e^{-(k_{Sg} - K_{PAR})LAI_o} \quad [13]$$

Assuming a fixed ratio (β) $K_{Sg}/K_{PAR} = 0.7$ (Campbell and Van Evert, 1994), Equation [13] can be rewritten as:

$$\tau_{Sg} = \tau_{PAR} e^{0.3K_{PAR}LAI_o} \quad [14]$$

The use of Equation [14] requires knowing both K_{PAR} and LAI_o . However, from Equation [2]:

$$K_{PAR} \Omega = -\ln(\tau_{PAR})/LAI_o \quad [15]$$

$$K_{Sg} \Omega = -\ln(\tau_{Sg})/LAI_o \quad [16]$$

and thus

$$K_{Sg}/K_{PAR} = \ln(\tau_{Sg})/\ln(\tau_{PAR}) \quad [17]$$

Therefore, solving for τ_{Sg} and assuming that $\beta = 0.7$, the expression becomes

$$\tau_{Sg} = e^{0.7 \ln(\tau_{PAR})} = \tau_{PAR}^{0.7} \quad [18]$$

Although Equation [18] is mathematically similar to Equation [14], it has the advantage of not requiring the knowledge of LAI. Thus, this method was selected and evaluated in this work, and is herein referred to as the "fixed-ratio" method.

Calculation procedures for transmittances conversion: Kiniry's method

Kiniry (1999) briefly discusses two methods to convert fraction of interception of S_g (f_{Sg}), "measured using a tube solarimeter", to fraction of interception of PAR (f_{PAR}), "measured using a PAR sensor", that produced nearly identical results. The first one was based on reported K values by Monteith and Unsworth (1990) for PAR and S_g (-0.485 and -0.65 respectively). He calculated, over a range of LAI from 0.1 to 3.0, a weighted mean value of 1.184 for the ratio f_{PAR}/f_{Sg} . The second method, based on Gates (1965) which relates radiation transmitted through a leaf as a function of wavelength, yields a value of 1.190 for the referred ratio. Thus, assuming an average value of 1.187, and given the fact that the interception

fraction is the complement (to one) of the transmittance, we have:

$$\tau_{Sg} = 0.842 \tau_{PAR} + 0.158 \quad [19]$$

This will be referred to as the “Kiniry’s method”, and as the fixed-ratio method, it does not require information of LAI₀.

Approaches performance

The performance of the described methodologies was evaluated using graphical and statistical methods. The statistical indices (goodness of fit criteria) included the root mean square error (RMSE) and the relative RMSE or relative error (RE), the mean absolute error (MAE; Annandale *et al.*, 2004); the Willmott index of agreement (D; Willmott, 1982); and the coefficient of residual mass (CRM; Loague and Green, 1991). These relationships have the following expressions:

$$RMSE = \sqrt{\frac{\sum_{i=1}^n (P_i - O_i)^2}{n}} \quad [20]$$

$$RE (\%) = (100 RMSE)/O_{avg} \quad [21]$$

$$MAE = \frac{\frac{1}{n} \sum_{i=1}^n Abs(P_i - O_i)}{O} 100 \quad [22]$$

$$D = 1 - \frac{\sum_{i=1}^n (P_i - O_i)^2}{\sum_{i=1}^n (|P_i - O_i| + |O_i - O_i|)^2} \quad [23]$$

$$CRM = \left(\frac{\sum_{i=1}^n O_i - \sum_{i=1}^n P_i}{\sum_{i=1}^n O_i} \right) \quad [24]$$

where P_i and O_i are the simulated and measured transmittances; n is the number of pairs of data (both observed and predicted values), and O is the mean of the measured values. The optimal values of RMSE, RE, MAE and CRM criteria are zero. For D , a value of one expresses perfect agreement between O_i and P_i whereas zero describes complete disagreement. The RMSE is dimensionless, and RE and MAE are in percentage. Positive values of CRM indicate that the model underestimates the measurements, whereas negative values indicate overestimates. All the analyses were made in Excel (Microsoft Inc.).

RESULTS AND DISCUSSION

Radiation transmittance relations

Hourly transmittance values were at their maximum around noon, when a relative higher proportion of the incoming radiation passes unobstructed through inter-

canopy gaps, and at their minimum in early morning and late afternoon (Figure 2). Thus, when comparing the daily average of transmittance, either PAR or S_g , with hourly-instantaneous measurements, differences are found. Therefore, it is possible to argue that instantaneous, around-noon measurements of radiation transmittance, as is rather commonly reported in crop light capture- or RUE-related studies (e.g. Gallo *et al.*, 1993; Yunusa *et al.*, 1993; Lizaso *et al.*, 2003) may not be a good practice when these studies are done on discontinuous canopies such as fruit trees or horticultural crops in their early stages of development, confirming the theoretical results of Sinclair (2006). In fact, τ_{PAR} and τ_{Sg} measurements performed around noon tended to be higher than the daily weighted average, potentially introducing errors if the former are taken as representative of the overall daily situation. This is especially true for clear days with a high beam fraction in the incoming radiation that is able to penetrate through canopy (or inter-rows) gaps and reach the orchard floor during the central hours of the day. These ideas had been suggested before (Flenet *et al.*, 1996; Sinclair and Muchow, 1999), but they tend to be, in general, overlooked (Yunusa *et al.*, 1997; Kiniry *et al.*, 1998; Kiniry, 1999).

The general pattern was similar for all the measurement dates, with minor differences being detected for two situations: cherries on June 1 and corn on July 7. The former (Figure 2B) is a consequence of the particular cloudiness dynamic of that day. Although all measurement days can be classified as clear sky based on the daily total amount of incoming radiation (Table 1), June 1 presented intermittent episodes of clouds passing through the day. The presence of clouds enhances solar radiation scattering and reduces the relative importance of the beam fraction of the incoming radiation. Under such conditions, radiation comes from several directions from the sky and not a single source, as is the case under clear-sky conditions. Thus, the presence of gaps has a lesser effect on the transmittance of radiation reaching the orchard floor. In the case of corn on July 7 (Figure 2E), the high transmittance values obtained were likely a consequence of early stage of the crop development with low leaf area index (LAI), allowing a large amount of incoming radiation to penetrate and reach the soil surface, not only at solar noon but for an extended period through the day.

Transmittance was higher for global radiation than for PAR, a natural consequence of the different optical properties of leaves for PAR and S_g (Szeicz, 1974; Yunusa *et al.*, 1993). Thus, the ratio τ_{Sg}/τ_{PAR} was always higher than one. Moreover, this ratio is not constant, being generally higher early and late on the day and lower around noon. The differences in transmittance are highly

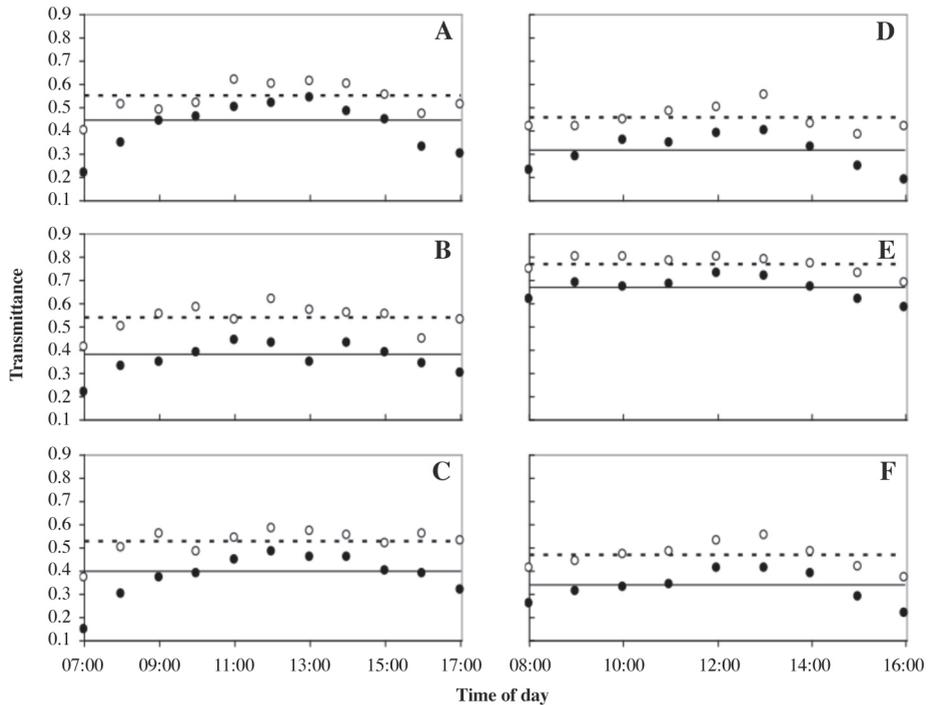


Figure 2. Hourly global solar radiation transmittance (τ_{Sg}) (open circles) and photosynthetically active radiation (PAR) transmittance (τ_{PAR}) (filled circles) and daily averaged τ_{Sg} (segmented line) and τ_{PAR} (solid line) as determined from field measurements on the cherry orchard (panels A, B, and C) and corn (panels D, E, and F).

dependant on the differential leaf optical properties, especially early or late in a day, since beam radiation is “forced” to pass through the canopies given the large zenith angle. Around noon, the proportion of incoming radiation (either S_g or PAR) that passes unobstructed through canopy gaps (either within or inter rows) is higher, reducing the effect of different optical properties of leaves for the different wavelengths and tending to make τ_{Sg} and τ_{PAR} more similar.

Performance of transmittance conversion methods

The first step was to verify the validity of the 0.7 value for β , the ratio of extinction coefficients for S_g and PAR, as an expression of the effect of leaves optical properties. Thus, β was initially calculated considering for each hour only the below-canopy measurements positions, both for S_g and PAR that were completely shaded by the plants. Since on July 7 (DOY 189) the corn foliage coverage was extremely low, this day was initially excluded from this analysis as it was impossible to characterize any measurement position as completely shaded at any time of the day. Despite some variability at certain hours, the general trend of the hourly values was normally around 0.55-0.75 (Figure 3). Daily averages were around 0.65 (Table 2). It should be noted that all these values include, to some extent, the effect of plant parts other than leaves such

as branches, fruit (for cherry trees) and dead leaves, all of them affecting radiation transmittance conditions.

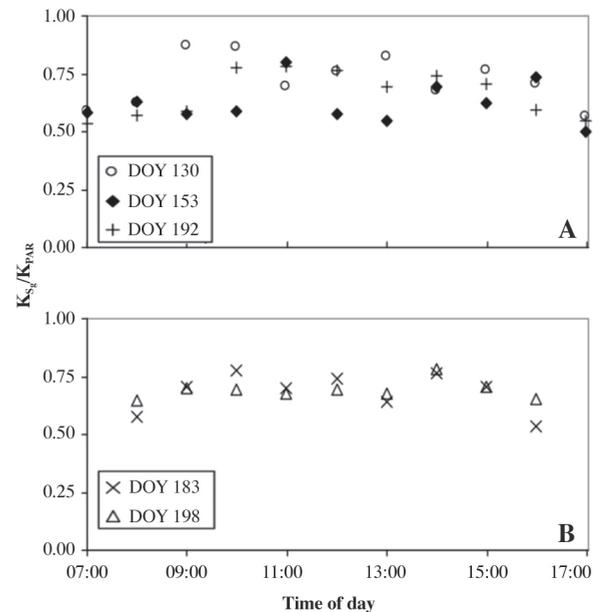


Figure 3. Hourly variation in the ratio of extinction coefficients for global solar radiation (S_g) and photosynthetically active radiation (PAR) K_{Sg}/K_{PAR} for cherry trees (panel A) and corn (panel B) for the different days of measurements, considering only shadowed below-canopy positions.

Table 2. Average daily values of K_{S_g}/K_{PAR} and standard deviation (SD) determined only at the shadowed positions.

Crop	Date	Average	SD
Cherry	May 9	0.66	0.10
	June 1	0.63	0.09
	July 10	0.64	0.06
Corn	July 1	0.66	0.09
	July 21	0.65	0.06

However, these particular effects are highly difficult to separate and quantify in actual field situations. Therefore, although we included different canopies such as cherry and corn, a value around 0.65 for β , such as the 0.7 figure proposed by Campbell and Van Evert (1994) seems to be accurate enough for its use in general applications and on a daily basis. Moreover, when considered all the below-canopy positions in the calculations (i.e. not only the shaded ones), there were no major differences in the extinction coefficients ratio despite of the variable relative importance of gaps between canopies at different times, even when there were differences in transmittance throughout the days (data not shown). Indeed, the variability in radiation transmittance for PAR and S_g through the day (Figure 2) does not extend in the same magnitude to the ratio of their extinction coefficients. Thus, the value of 0.70 for K_{S_g}/K_{PAR} may be extended to general situations, including discontinuous canopies.

Finally, Table 3 presents the results obtained when using the two reported methods for the conversion of transmittances. In general, the methods behave similarly when used for either $\tau_{PAR} \rightarrow \tau_{S_g}$ or $\tau_{S_g} \rightarrow \tau_{PAR}$. Also, for low values of transmittance, e.g., less than 0.45, both methods tend to perform rather similarly (Figure 4A). However, differences were evident for transmittance values higher than 0.45. This is likely to be due to the fact that the Kiniry's method is not flexible, in terms of the relation between τ_{PAR} and τ_{S_g} . While the coefficients used in Kiniry's linear relationship may be good enough for low values of τ_{PAR} , as the transmittance gets higher, τ_{S_g} should be more similar to τ_{PAR} , where the extreme case is when all radiation is transmitted, and therefore, τ_{S_g} approaches τ_{PAR} . This situation is not accounted for in the approach derived from Kiniry's analysis. The fixed-ratio method therefore outperformed Kiniry's method. The same behavior was observed on a daily time scale (Figure 4B). We found that it does not make an important difference to use 0.65 or 0.7 for β when using the fixed-ratio method (result not shown). Thus, unless there are field determinations of leaf optical properties for a given crop, the general use of 0.7 and the fixed ratio approach are adequate.

Table 3. Comparison of performance of the two methods used for transmittance conversion (average CRM, both hourly and daily, correspond to absolute values).

	Performance index	Method		
		Fixed-ratio	Kiniry	
$\tau_{PAR} \rightarrow \tau_{S_g}$				
Hourly (n = 60)	RMSE	0.04	0.06	
	RE (%)	8.19	10.29	
	MAE (%)	6.32	8.33	
	D	0.96	0.94	
	CRM	0.03	0.08	
	Daily (n = 6)	RMSE	0.02	0.04
Daily (n = 6)	RE (%)	3.20	7.10	
	MAE (%)	2.55	6.52	
	D	0.99	0.96	
	CRM	0.01	0.07	
	$\tau_{S_g} \rightarrow \tau_{PAR}$			
	Hourly (n = 60)	RMSE	0.05	0.07
RE (%)		11.44	16.28	
MAE (%)		8.98	13.19	
D		0.98	0.95	
CRM		-0.04	-0.012	
Daily (n = 6)		RMSE	0.02	0.05
Daily (n = 6)	RE (%)	3.50	8.44	
	MAE (%)	3.57	10.04	
	D	0.99	0.97	
	CRM	-0.02	-0.10	
	Average			
	Hourly	RMSE	0.05	0.06
RE (%)		9.85	13.29	
MAE (%)		7.65	10.76	
D		0.97	0.95	
CRM		0.03	0.10	
Daily		RMSE	0.02	0.04
Daily	RE (%)	3.35	7.77	
	MAE (%)	3.06	8.28	
	D	0.99	0.97	
	CRM	0.05	0.09	

τ_{PAR} : photosynthetically active radiation (PAR) transmittance; τ_{S_g} : global solar radiation (S_g) transmittance; RMSE: root mean square error; RE: relative error; MAE: mean absolute error; D: Willmott index of agreement; CRM: coefficient of residual mass.

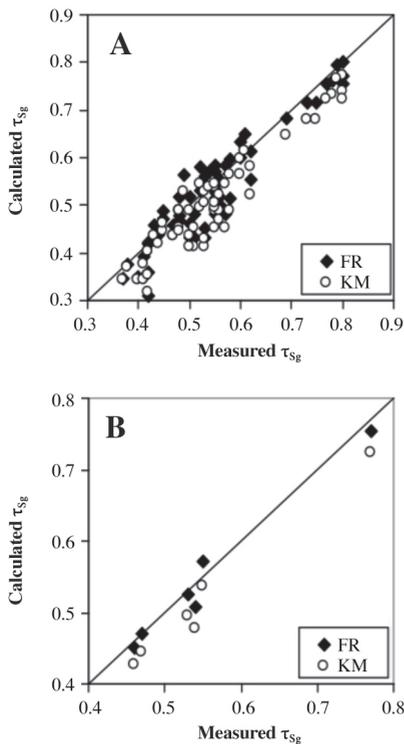


Figure 4. Comparison of global solar radiation transmittance (τ_{sg}) measured and simulated using the fixed-ratio method (FR) and Kiniry's method (KM) for hourly (panel A) and daily (panel B) time scale.

CONCLUSIONS

Transmittance of both global solar radiation and PAR through discontinuous canopies proved to be affected by the optical properties of the leaves of the crop (cherry trees, corn) to the corresponding wavelength, by the existence of gaps between canopies, and the relative importance of the beam fraction of the incoming radiation. Nonetheless, the use of a value of 0.7 for the ratio of extinction coefficients appeared valid for both shadowed situations and non-complete covering canopies.

Regarding the conversion of transmittances for different wavelengths, the methods proposed generally performed properly for the different experimental conditions considered. The method based on a fixed value for the ratio of extinction coefficients outperformed Kiniry's method both hourly (average RE = 7.97% and 13.29% respectively) and daily (average RE = 2.84% and 7.77% respectively). The former is a simple and suitable method to convert transmittance values of PAR and S_g at different time-scales and canopy-coverage conditions.

ACKNOWLEDGEMENTS

This research was partially funded through the project FONDEF D021-1146. The technical assistance of A. Milla in the field data acquisition is greatly appreciated as well as special collaboration given by E. Quiroz, C. Kremer and A. Kemanian during the installation and set-up process of the solarimeters. The paper benefited from the comments of anonymous reviewers and the editor.

RESUMEN

Determinación en terreno de la relación entre la transmitancia de radiación solar global y radiación fotosintéticamente activa (PAR) a través de coberturas vegetales discontinuas. En muchos modelos, la transmisión de radiación a través de la canopia es descrita como un proceso de atenuación exponencial (Ley de Beer), la cual se asume válida para coberturas vegetales completas y con una distribución aleatoria de hojas. Sin embargo, para canopias discontinuas ocurre una situación más compleja debido a la presencia de espacios entre las plantas. Esto debe ser considerado cuando se caracterizan aspectos de radiación en este tipo de sistemas, especialmente cuando es de interés a una escala de tiempo pequeña. La transmisión de radiación fotosintéticamente activa PAR (τ_{PAR}) es más típicamente estudiada y mencionada que la transmisión de radiación solar S_g (τ_{Sg}). Sin embargo, tanto PAR como S_g son importantes en los sub-modelos de radiación que suelen formar parte de los programas usados para simular el crecimiento de cultivos. En este trabajo se realizaron mediciones simultáneas de τ_{Sg} y τ_{PAR} , y se caracterizó la variación horaria en la transmitancia de PAR y S_g . Dos métodos fueron evaluados para realizar la transformación entre τ_{Sg} y τ_{PAR} . Ambos enfoques dieron resultados similares para condiciones de baja transmitancia, pero difieren para valores elevados de ésta. El método basado en una razón fija de los coeficientes de extinción de PAR y S_g se desempeñó mejor que aquel basado en una relación lineal entre τ_{PAR} y τ_{Sg} , con un error relativo promedio de 7.97% vs. 13.29% y 2.84% vs. 7.77%, respectivamente, para escalas de tiempo horarias y diarias.

Palabras clave: interceptación de radiación, coeficiente de extinción, modelo de simulación de cultivos.

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